September 13, 2024

AI For Research and Education Live Demos!

Gordon Erlebacher Department of Scientific Computing

* Fast

* Can hallucinate

* Can generate URLs, citations

- often fake information
- * Best for information discussions on issues prior to Nov. 2021

ChatGPT (GPT3.5)

- * Debut in March 2023
- * Still the best ChatBot in September 2023 (not for long)
- Can provide accurate citations
- Better capabilities overall
- * More reliable than GPT-3 overall
 - * Plugins
 - Advanced Data Analytics
 - * (one or the other, but not both)

GPT-4

latitude, and their population. Create and display a scattergram of population (displayed as a circle with a radius proportional to the log(population), as a function of longitude and latitude.

- Analytics cannot be shared
- Actual conversation



* Create a table that includes all capitals of the worlds, their longitude and

Klein-Gordon Equation in Polar Coordinates

- Write the Fermi-Dirac equations in a standalone Latex file. Add explanations for all symbols used.
- * How about a file for the Klein-Gordon equation, expressed in spherical coordinates?
- * Propose appropriate latex/tex macros to simplify the Latex expression of the Klein-Gordon equations just generated. Rewrite the macros and simplify the equations. Produce a new standaolone latex file.



\documentclass[12pt]{article}

\usepackage{amsmath} \usepackage{amsfonts} \usepackage{amssymb}

\title{Klein-Gordon Equation in Spherical Coordinates (Simplified)} \author{ChatGPT} \date{\today}

```
% Define the macros
\newcommand{\pderiv}[2]{\frac{\partial #1}{\partial #2}}
\newcommand{\pderivtwo}[2]{\frac{\partial^2 #1}{\partial #2^2}}
\newcommand{\psir}{\psi(r, \theta, \phi)}
```

\begin{document}

\maketitle

\section{Introduction}

The Klein-Gordon equation is a relativistic quantum mechanical wave equation that describes scalar particles. When expressed in spherical coordinates, it accounts for the symmetry and properties inherent to spherical systems. This document presents a simplified notation using LaTeX macros.

\section{Equation} Using the defined macros, the time-dependent Klein-Gordon equation in spherical coordinates $\langle (r, r) \rangle$ θ (theta, ρ)) is:

\begin{equation} $frac{1}{r^2 \sin \theta} \rho deriv{}{\theta} - frac{1} r^2 \sin \theta \rho deriv{\rho sir}{\theta} - frac{1} r^2 \rho deriv{\rho sir}{\theta} - r^2 \rho deriv{\rho sir}{\theta}$ $r^2 \ in^2 \ pderivtwo{\psir}{\phi} + \frac{m^2 c^2}{\hbar ar^2} \ psir = 0$

Klein-Gordon Equation in Spherical Coordinates (Simplified)

ChatGPT

September 13, 2023

Introduction

The Klein-Gordon equation is a relativistic quantum mechanical wave equation that describes scalar particles. When expressed in spherical coordinates, it accounts for the symmetry and properties inherent to spherical systems. This document presents a simplified notation using LaTeX macros.

Equation $\mathbf{2}$

Using the defined macros, the time-dependent Klein-Gordon equation in spherical coordinates (r, θ, ϕ) is:

$$\frac{1}{c^2} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial t^2} - \frac{1}{r^2} \frac{\partial}{\partial r} \left(r^2 \frac{\partial \psi(r,\theta,\phi)}{\partial r} \right) - \frac{1}{r^2 \sin \theta} \frac{\partial}{\partial \theta} \left(\sin \theta \frac{\partial \psi(r,\theta,\phi)}{\partial \theta} \right) - \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} + \frac{1}{(1)} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \theta} = \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} + \frac{1}{(1)} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \theta} = \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} + \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} + \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} + \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} = \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} + \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} = \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial \phi^2} + \frac{1}{r^2 \sin^2 \theta} \frac{\partial^2 \psi(r,\theta,\phi)}{\partial$$

Where:

- ψ(r, θ, φ) is the scalar field.
- c is the speed of light.
- m is the rest mass of the scalar particle.
- *h* is the reduced Planck's constant.
- r, θ, ϕ are the radial, polar, and azimuthal coordinates, respectively.

Conclusion 3

Using LaTeX macros can significantly simplify the notation and readability of complex equations like the Klein-Gordon equation. This is especially useful for documents with repeated use of similar terms or structures.



- Professor of Computer Science
 - * (use roles that are well known on the web)
- * Astrophysicist, playwright, high-school student, doctoral student
- * A Linux terminal
- * Shakespeare explains function overloading in C++ (<u>link</u>)
- * Julia Childs explains how to make a french baguette

Role Playing

- * In GPT, you can interrupt a conversation that goes on and on ...
- * Beware: the context has been cut off.
 - * GPT has no memory except the context
 - * The reply to the next question *cannot* take into account anything that was not stated

Chat Interruptions

Quiz generation

- * Students can create their own quizzes on any topic
- * Keep in mind that the chatbot is sometimes wrong.
 - * good thing: keeps students on their toes
- * Quizzes can be generated in multiple languages, at any level of difficulty
- * Quiz types:
 - * True/False
 - Multiple Choice
 - Free format

* auto grading might then be an issue

Lesson Plans

- * Develop course materials on any topic
- * At any level of difficulty
- * With illustration provided by the AI or the user
- * With or without code examples
- * Have the Chatbot generate synthetic data
- * Using DataAnalytics, the chatbot can plot results

* However: DataAnalytics must be enabled before starting the chat session



- * Write a Code in C++
- * Translate it to Javascript
- * Create a simple Website
- * Have GPT write code to create a client / server
- * Analyze stack traces generated by code errors
- * To try: translate assembler code (i.e., decompile) to readable code

Writing Code



- * Fix grammatical errors
- * Change the tone of text
- * Completely rewrite text
- * Write letters of recommendation
- * Write speeches, blogs, reports
- Extract information from text (Abbreviations, links, definitions)

Writing